

# The angular distributions of the vector $A_y$ and tensor $A_{yy}$ , $A_{xx}$ , $A_{xz}$ analyzing powers for the $d d \rightarrow {}^3H p$ reactions at 200 MeV

A.K. Kurilkin<sup>1†</sup>, T. Saito<sup>2</sup>, V.P. Ladygin<sup>1</sup>, T. Uesaka<sup>3</sup>, T.A. Vasiliev<sup>1</sup>, M. Janek<sup>1,5</sup>, M. Hatano<sup>2</sup>, A.Yu. Isupov<sup>1</sup>, H. Kato<sup>2</sup>, N.B. Ladygina<sup>1</sup>, Y. Maeda<sup>3</sup>, A.I. Malakhov<sup>1</sup>, J. Nishikawa<sup>4</sup>, T. Ohnishi<sup>6</sup>, H. Okamura<sup>8</sup>, S.G. Reznikov<sup>1</sup>, H. Sakai<sup>2,3</sup>, N. Sakamoto<sup>6</sup>, S. Sakoda<sup>2</sup>, Y. Satou<sup>7</sup>, K. Sekiguchi<sup>6</sup>, K. Suda<sup>3</sup>, A. Tamii<sup>7</sup>, N. Uchigashima<sup>2</sup>, K. Yako<sup>2</sup>,

(1) *LHE-JINR, 141-980 Dubna, Moscow region, Russia*

(2) *Department of Physics, University of Tokyo, Bunkyo, Tokyo 113-0033, Japan*

(3) *Center for Nuclear Study, University of Tokyo, Bunkyo, Tokyo 113-0033, Japan*

(4) *Department of Physics, Saitama University, UraWa 338-8570, Japan*

(5) *University of P.J. Safarik, 041-54 Kosice, Slovakia*

(6) *RIKEN, Wako, Saitama 351-0198, Japan*

(7) *Research Center for Nuclear Physics, Osaka University, Ibaraki 567-0047, Japan*

(8) *CYRIC, Tohoku University, Sendai, Miyagi 980-8578, Japan*

† **E-mail: akuril@sunhe.jinr.ru**

# Content

- **Introduction**

- Binding energy problem
- Experimental study of tritium
- $d d \rightarrow {}^3H p$  in the model of one-nucleon exchange

- **Experiment**

- Accelerating complex RARF
- Spectrometer SMART

- **Data analysis**

- Identification of true events for polarization
- Identification of true events for  ${}^3H$

- **Results and discussion**

- Angular dependences of the vector and tensor analyzing powers

- **Conclusions**

## Binding energy problem

**Binding energy** of system is **not reproduced** by the calculations, which use **modern** two-particle nucleon-nucleon potentials.

Calculations with the use of local potentials such as **Nijm-2**, **Reid'93**, **AV18** predict result of approximately **7.62** MeV. The experimental value of **8.48** MeV.

Nonrelativistic calculations of Faddeev equations with the use of non-local **CD-Bonn** potential gave result of **8.00** MeV. Relativistic corrections gave result of **8.19** MeV.

Because of the fact that binding energy has strong correlation with the value of the spin dependent forces it is possible to expect that an **experimental study** of the spin structure of the three-nucleon bound system **will make** it possible to **obtain key** to understanding of the **underestimation** of **binding energy**.

## Experimental study of ${}^3H$

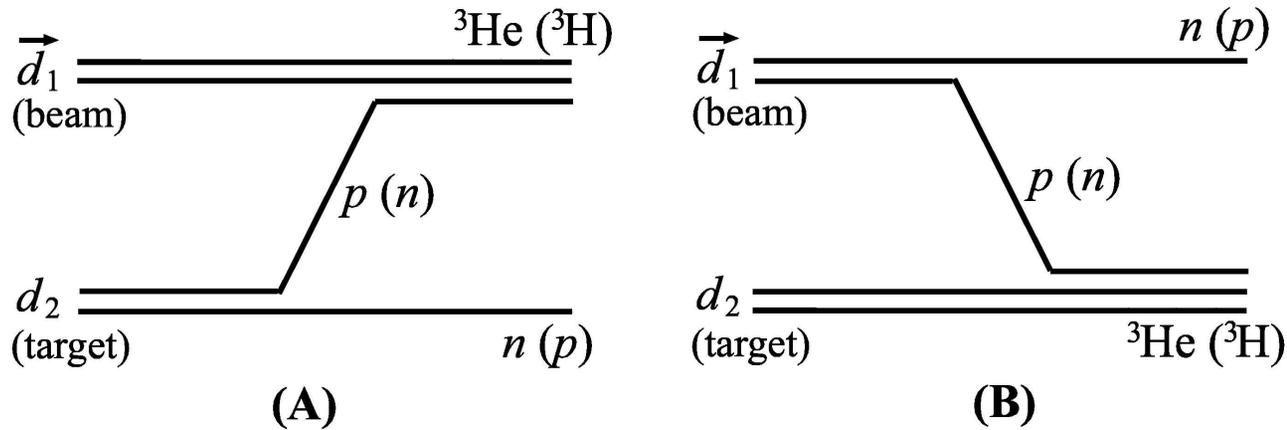
There are **only few data**, which **sensitive** to the spin structure **three-nucleon bound state**, especially, in the connection with polarization studies. The **large part** of these data is **dedicated** to the **spin structure** of  ${}^3He$ .

An experimental **study** of  ${}^3H$  is **difficult** because of its **radioactivity**.

The charge and electromagnetic form factors of  ${}^3H$  were measured in the reaction of the elastic scattering of electrons on tritium target at Saclay. This measurement showed that the region of the second diffraction peak of the three-nucleon form factors still is not understood.

In spite of the sensitivity of the polarization observables to the spin structure of light nuclei, **difference from the predictions** of model ONE is **observed** already with the relatively **small internal momentum**  $\approx 200$  MeV/c.

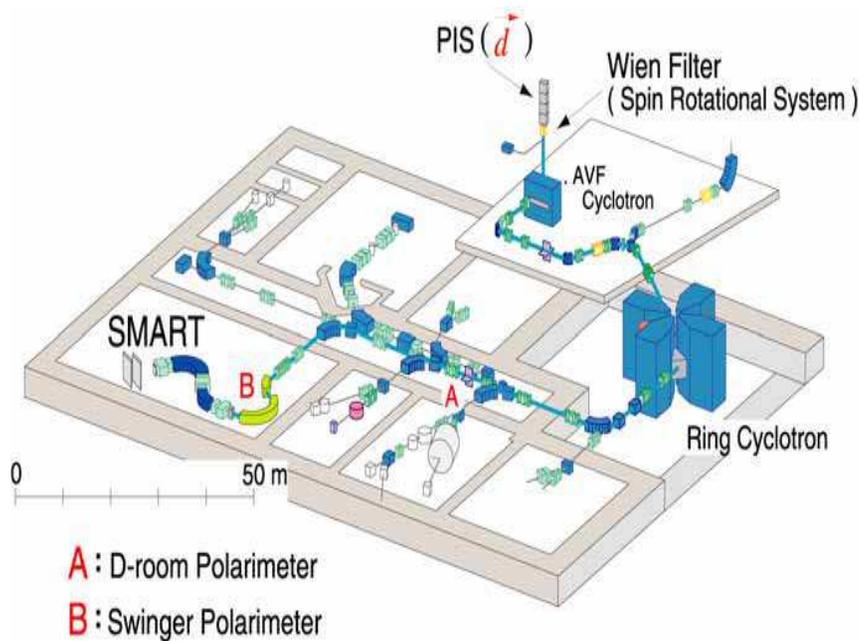
## $d d \rightarrow {}^3H p$ in the model of ONE



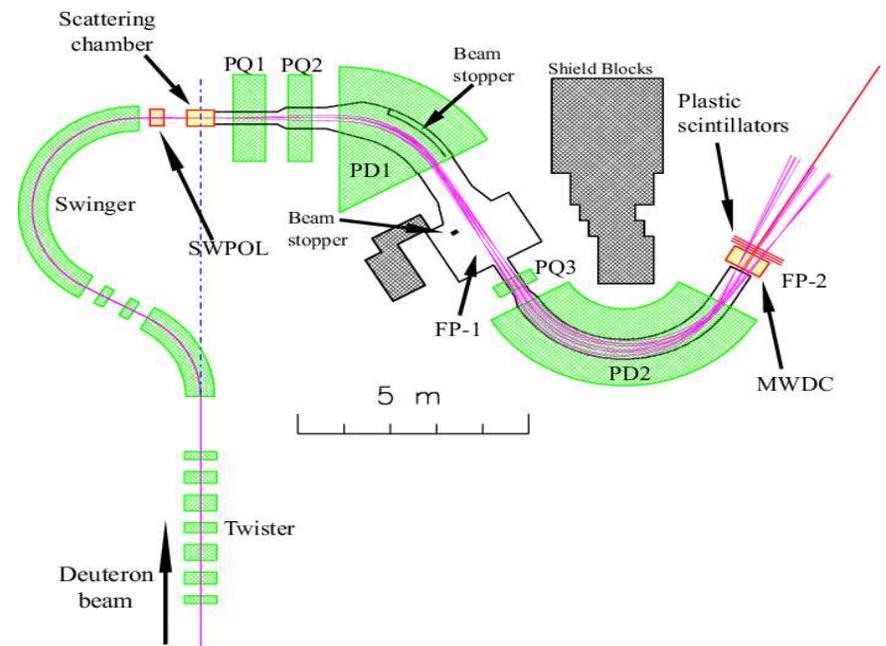
Reactions  $\vec{d} d \rightarrow {}^3He n$  and  $\vec{d} d \rightarrow {}^3H p$  can be **described** within the framework of the **model of one-nucleon exchange**. Both reactions can be described by the sum of two diagrams, required by the symmetry of the initial state.

The **tensor analyzing powers** for this reactions at the **forward angles** is directly **connected** with the **relation** of components **D/S** of wave functions  ${}^3He$  and  ${}^3H$ , respectively.

# Experiment



RIKEN Accelerator Research Facility



Spectrometer SMART

The **polarized beam** of deuterons, **was ensured** by the polarized ion source(**PIS**), and **was accelerated** by AVF and Ring Cyclotron **up to energy 200 MeV**. The accelerated beam was directed to the target, located in hall E4.

The **measurement** of the **polarization** of beam was **carried out** with help **Swinger** and **Droom** polarimeters.

The **scattered particles** were **registered** by spectrometer **SMART**.

## Vector ( $p_z$ ) and tensor polarization ( $p_{zz}$ ) of deuteron beam

The data set was obtained with the **different values of vector** ( $p_z$ ) and **tensor polarization** ( $p_{zz}$ ) of deuteron beam. They are determined as follows:

$$p_z = N_+ + N_-$$
$$p_{zz} = N_+ + N_- - 2N_0$$

where  $N_+$ ,  $N_-$ ,  $N_0$  designate the population density of particles with the orientation of magnetic moment  $+1$ ,  $-1$ , and  $0$  respectively.

**In this experiment we used four spin modes (0-3), one of which was not polarized.** Their ideal values of polarization were:

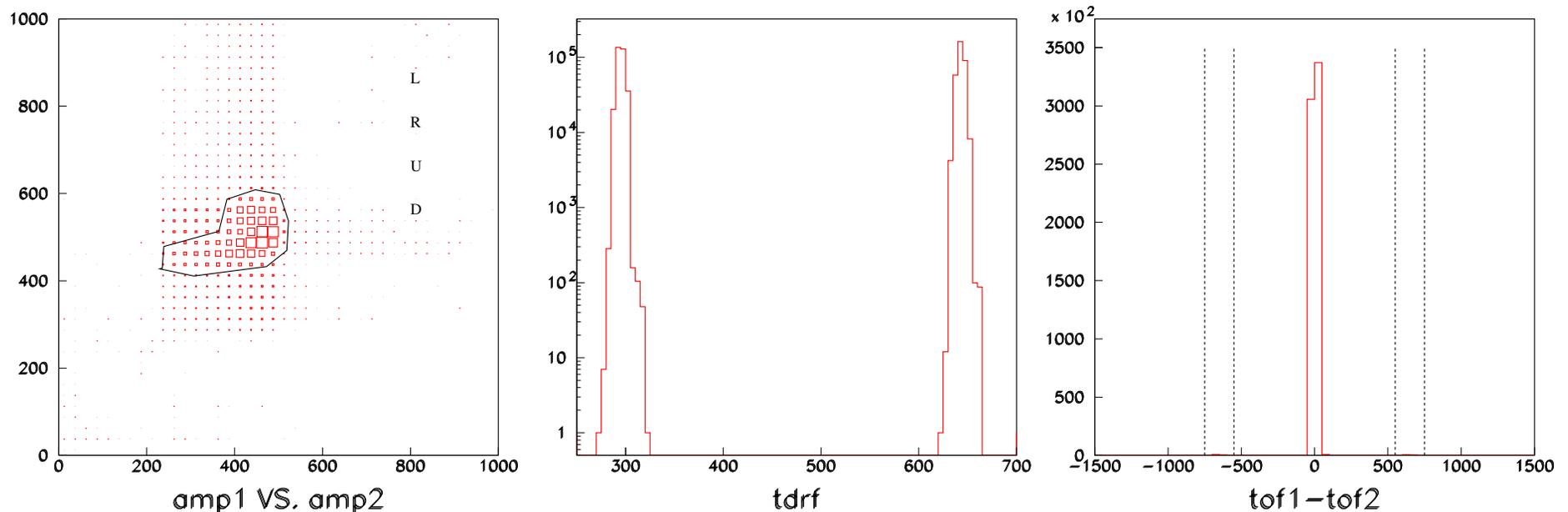
$$\text{Mode}(0) : (p_z, p_{zz}) = (0, 0),$$
$$\text{Mode}(1) : (p_z, p_{zz}) = (0, -2),$$
$$\text{Mode}(2) : (p_z, p_{zz}) = (-2/3, 0),$$
$$\text{Mode}(3) : (p_z, p_{zz}) = (1/3, 1).$$

**Mode(2), purely vector mode were used only in the case of the  $A_y$  measurement.**

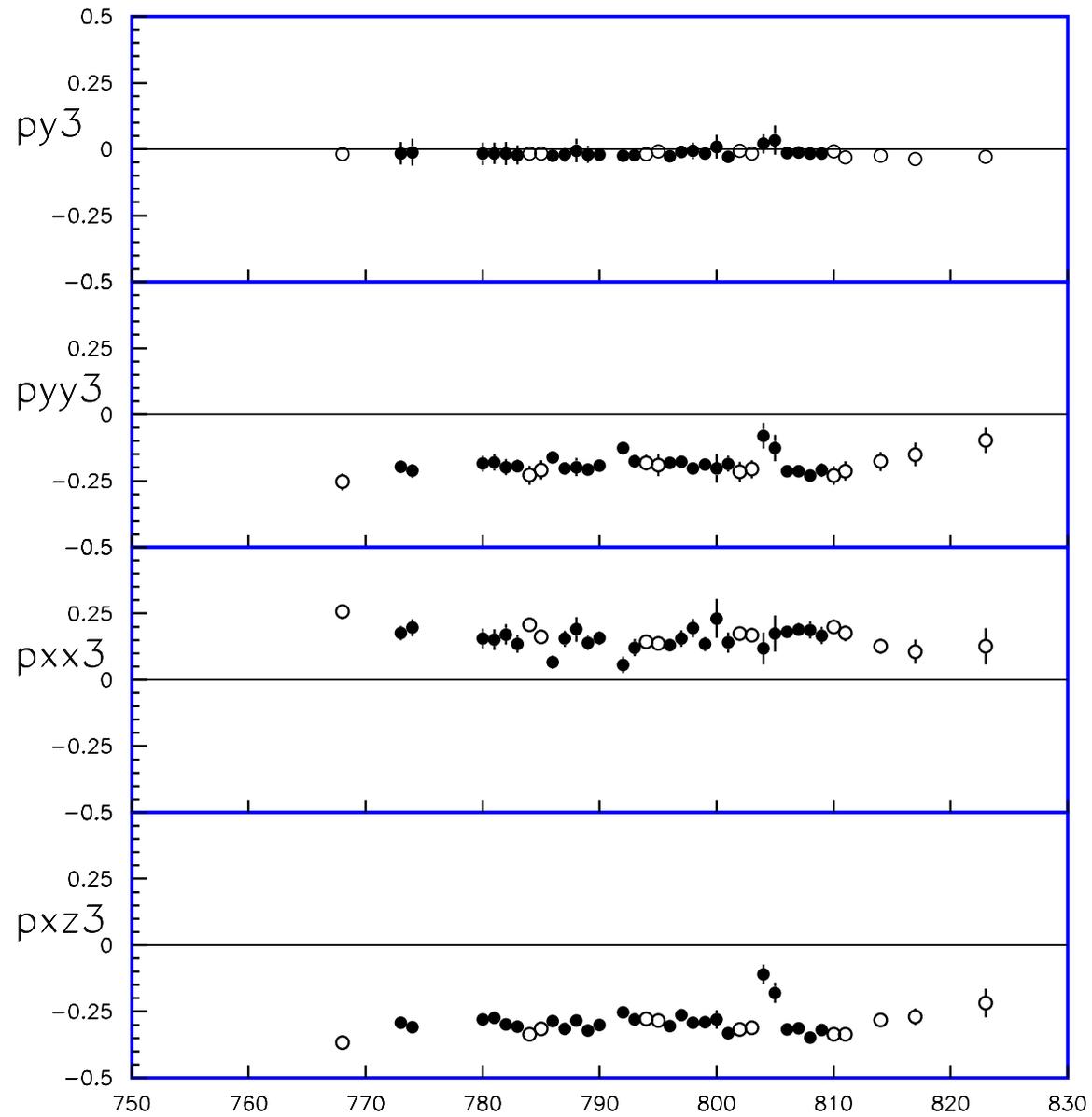
# The criteria for true events of polarizations

The criteria used for identification of true events for each mode the polarization of beam are the following:

- The **Radio Frequency signal** of the cyclotron (**RF-TDC**) must be located in the specific time window.
- The **time-of-ligth difference** for the deuteron and proton detectors for each pair must be located in the specific time window.
- The **amplitudes** for each pair detectors **must be correlated**.



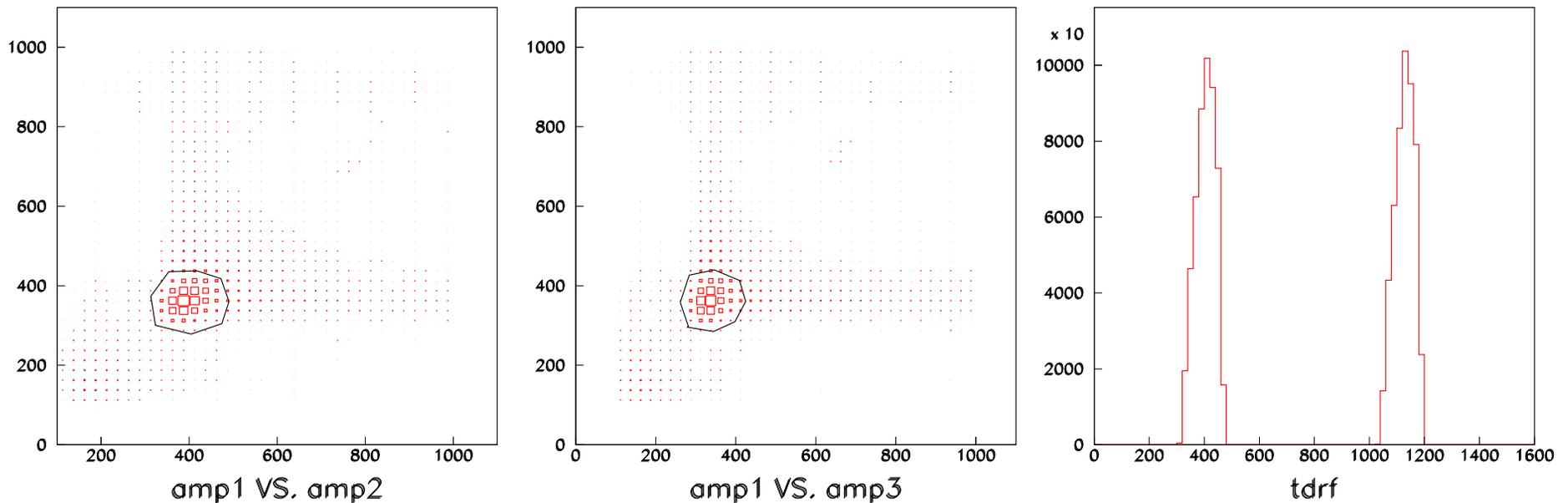
# Value polarization for $A_{xz}$



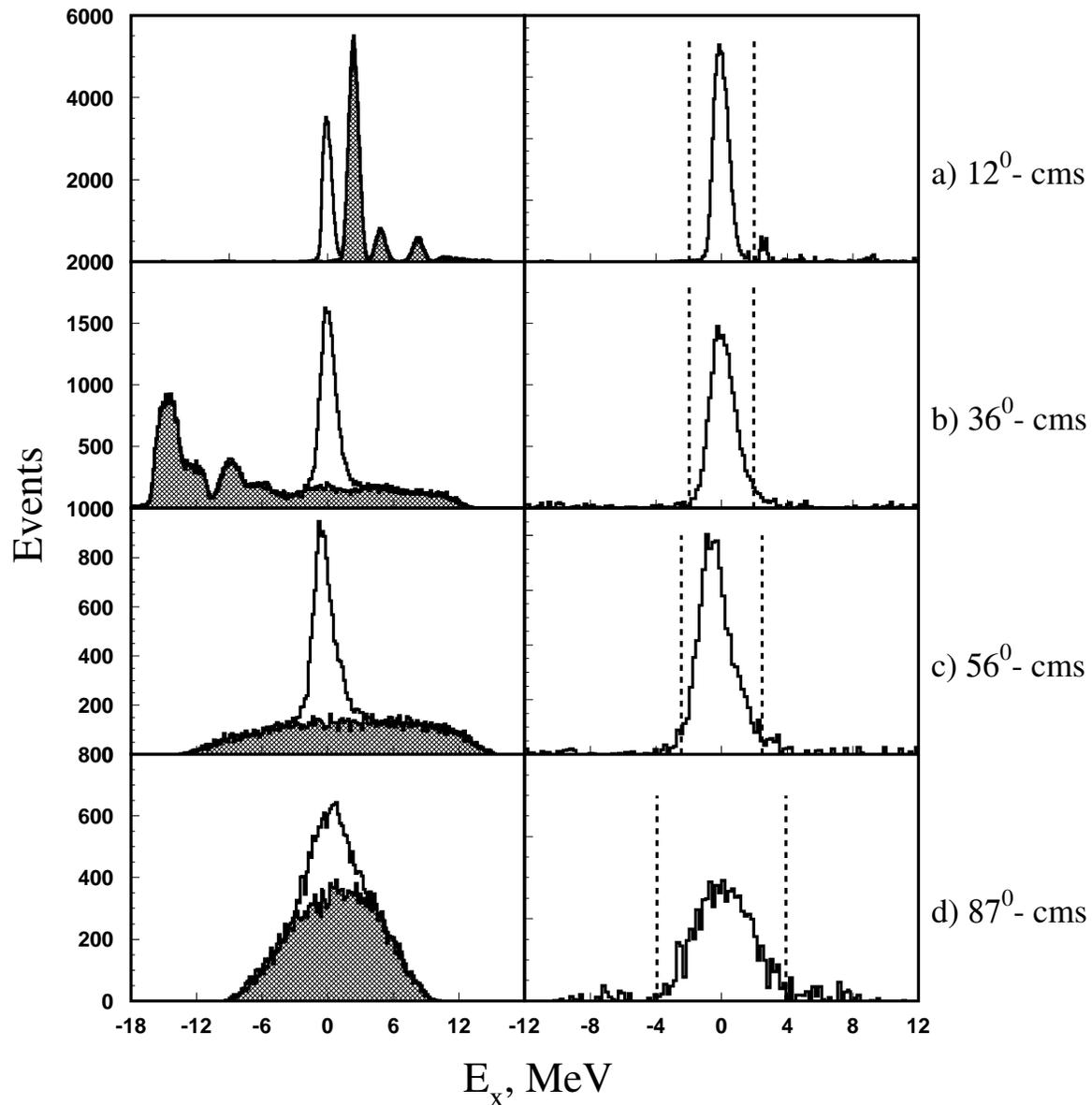
## The criteria of true events for ${}^3H$

The criteria used for the identification of the scattered particle  ${}^3H$  from the  $\vec{d}d \rightarrow {}^3Hp$  reaction are the following:

- The **particle** must be **registered** in the all **three scintillation detectors**.
- The **amplitudes** must be **correlated**.
- The **Radio Frequency signal** of the cyclotron (**RF-TDC**) must be synchronized with the signals from the plastic scintillators.



## CD2-C subtraction



The **quality of subtraction** of the **carbon contribution** is presented for several angles in the center of mass system.

## Equations for analyzing powers

$A_y$ ,  $A_{yy}$  analyzing powers:

$$N_{exp}^1(\theta_{cm}) = 1 + \frac{1}{2}p_{yy}^1 A_{yy}(\theta_{cm}) \quad (1)$$

$$N_{exp}^2(\theta_{cm}) = 1 + \frac{3}{2}p_{yy}^2 A_y(\theta_{cm}) \quad (2)$$

$$N_{exp}^3(\theta_{cm}) = 1 + \frac{3}{2}p_{yy}^3 A_{yy}(\theta_{cm}) + \frac{1}{2}p_{yy}^3 A_{yy}(\theta_{cm}) \quad (3)$$

$A_{xx}$  analyzing power:

$$N_{exp}^1(\theta_{cm}) = 1 + \frac{1}{2}p_{xx}^1 A_{xx}(\theta_{cm}) \quad (4)$$

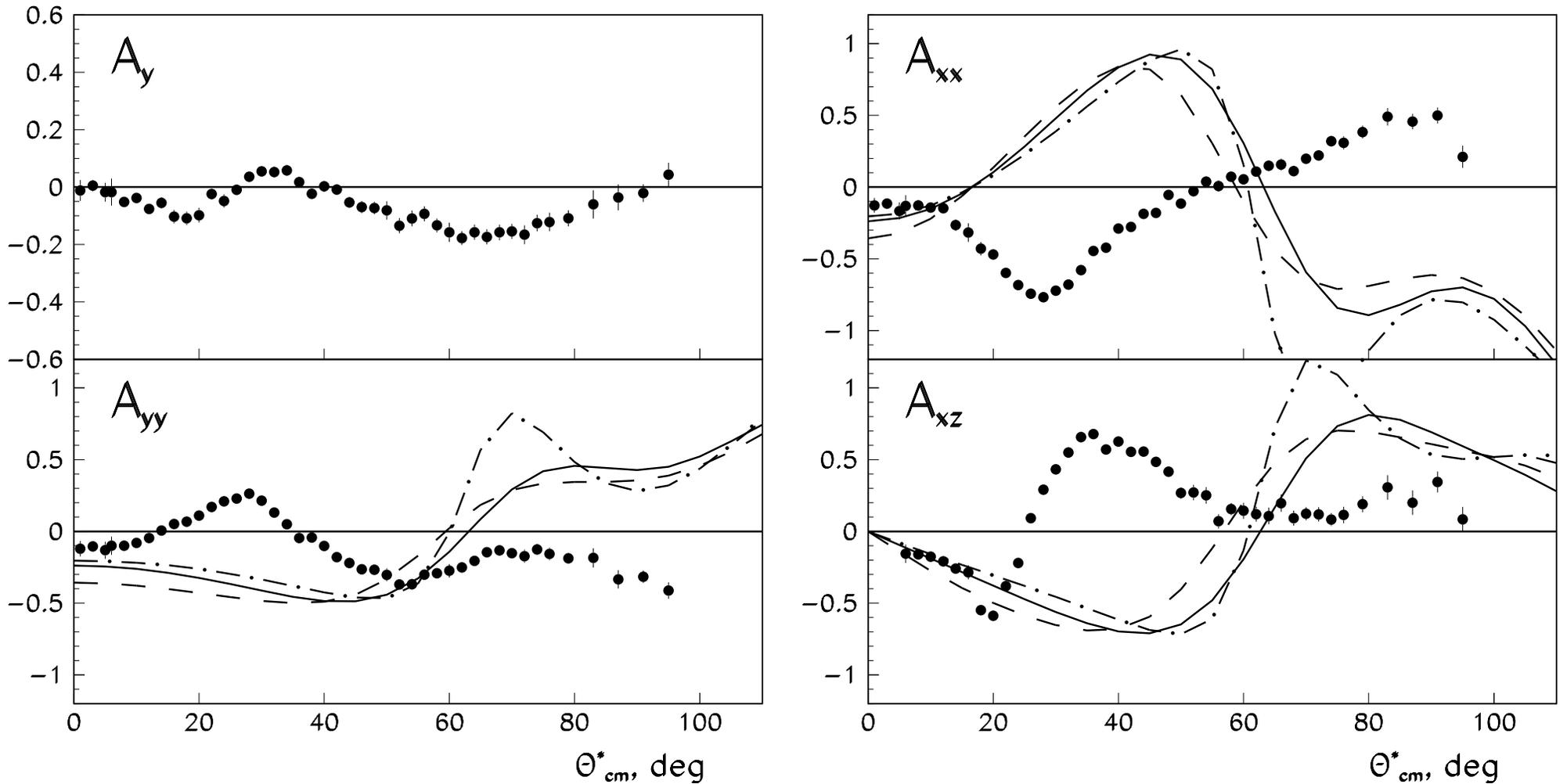
$$N_{exp}^3(\theta_{cm}) = 1 + \frac{1}{2}p_{xx}^3 A_{xx}(\theta_{cm}) \quad (5)$$

$A_{xz}$  analyzing power:

$$N_{exp}^i(\theta_{cm}) = 1 + \frac{2}{3}p_{xz}^i A_{xz}(\theta_{cm}) + C^i, (i = 1, 3) \quad (6)$$

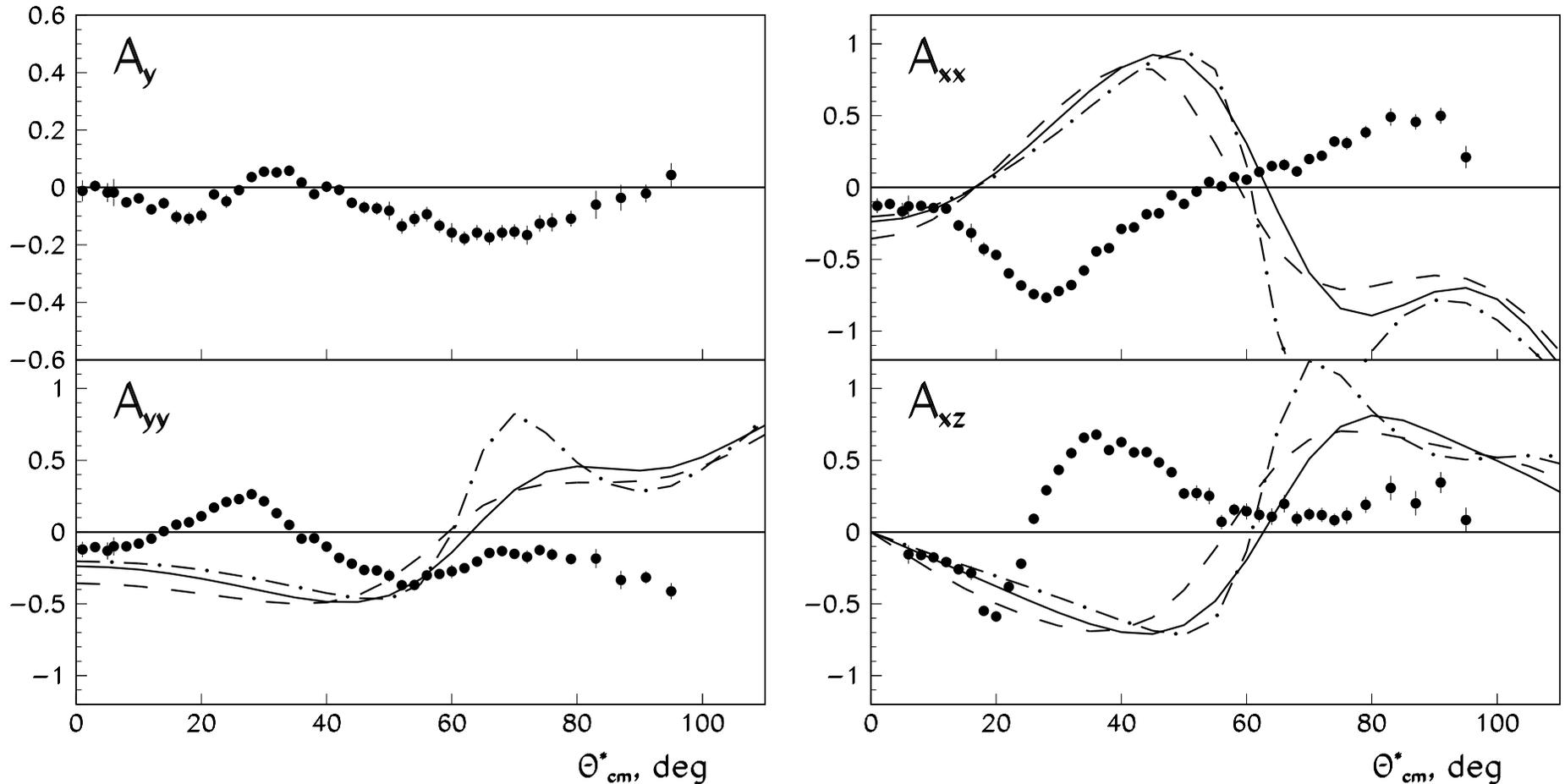
$$C^i = \frac{3}{2}p_y^i A_y(\theta_{cm}) + \frac{1}{2}p_{yy}^i A_{yy}(\theta_{cm}) + \frac{1}{6}(2p_{xx}^i + p_{yy}^i)2A_{xx}(\theta_{cm}) + A_{yy}(\theta_{cm}) \quad (7)$$

# Experimental results



The vector  $A_y$  and tensor  $A_{yy}$ ,  $A_{xx}$  and  $A_{xz}$  analyzing powers for  $\vec{d}d \rightarrow {}^3He p$  reactions. The **solid**, **long-dashed**, and **dash-dotted** curves are the **results** of **ONE** calculations using **Urbana**, **Paris** and **Reid soft core**  ${}^3He$  wave function, respectively.

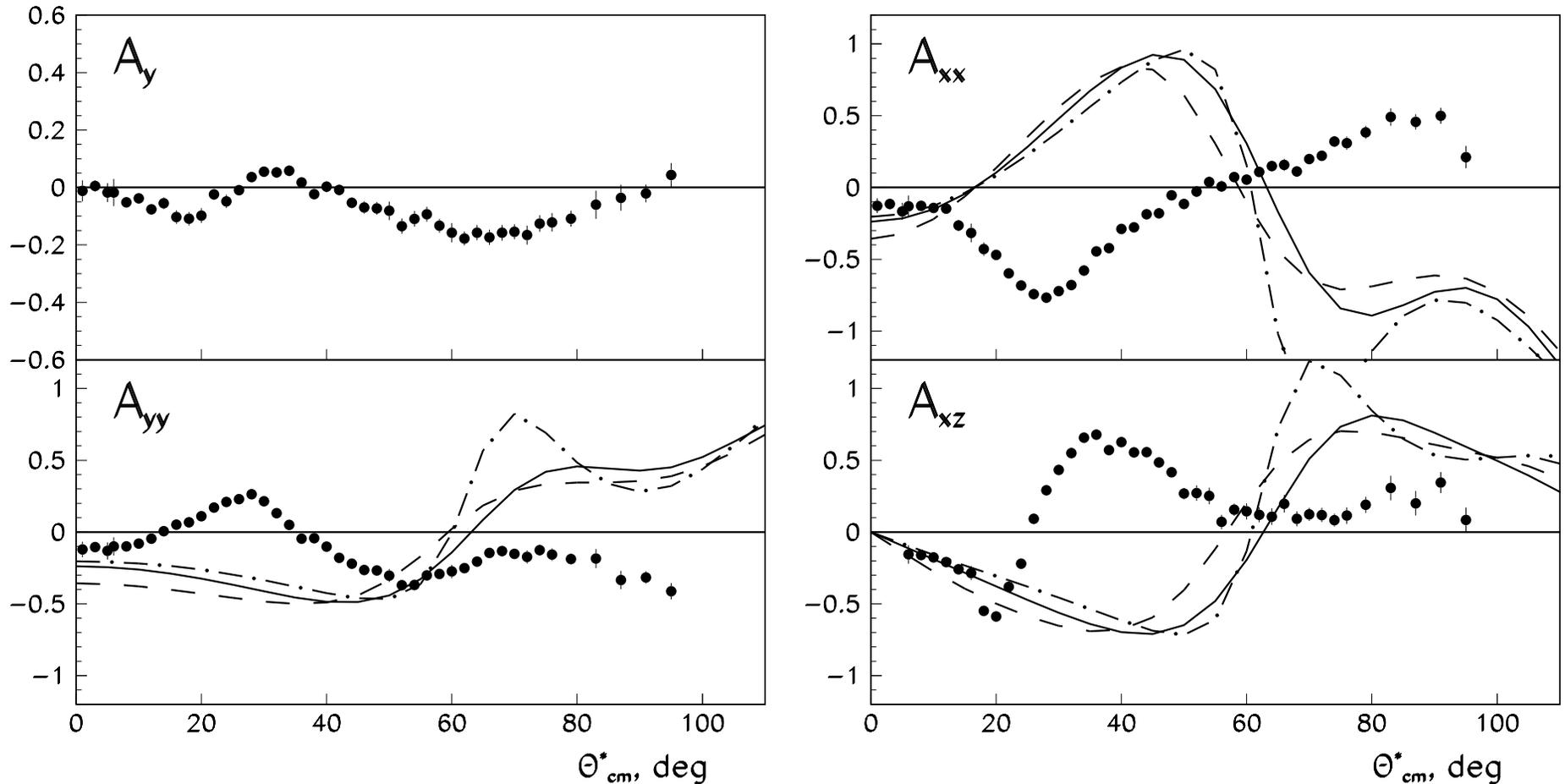
## Discussion



One can see **strong sensitivity** to the  ${}^3H$  spin structure when  ${}^3H$  is emitted in the forward angle in the center of mass system and **strong variation** of analyzing powers versus an angle.

ONE calculation predicts that the tensor analyzing powers at the forward scattering are sensitive to the spin structure  ${}^3H$ .

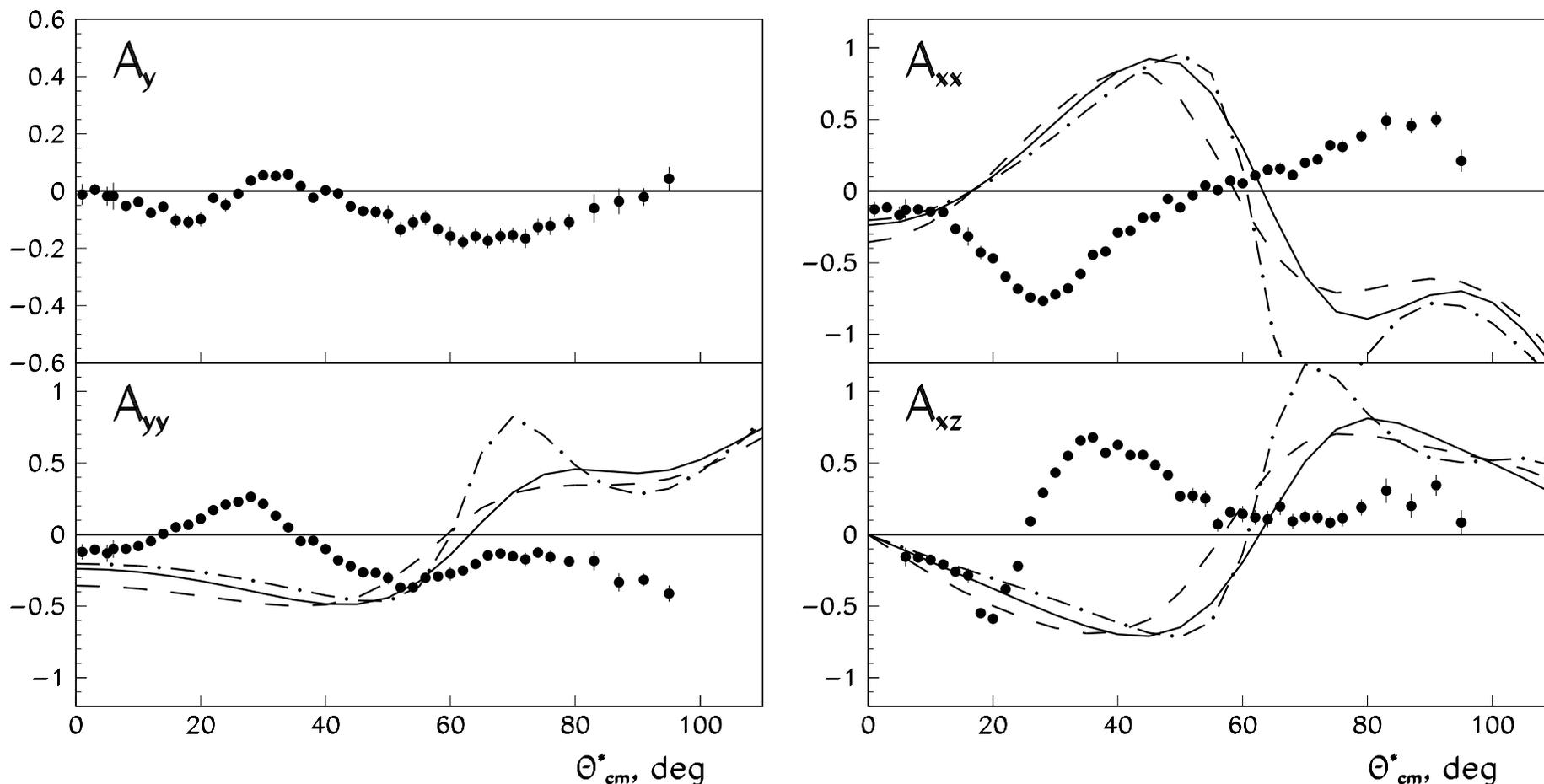
## Discussion



As can be seen, the **experimental data** for  $A_{yy}$ ,  $A_{xx}$ ,  $A_{xz}$  analyzing powers **strongly disagree** with the **predictions** of ONE model calculations.

The **predictions** of ONE model calculations **qualitatively reproduce** the angular distributions of the tensor analyzing powers at **small angles only**.

## Discussion



ONE calculation predicts a zero value of the vector analyzing power, but a some structure in the angular distribution of the vector analyzing power is observed.

This result will be a clue to investigate of the reaction mechanism beyond the ONE model.

## Conclusion

- The results of the vector  $A_y$  and tensor  $A_{yy}$ ,  $A_{xx}$ ,  $A_{xz}$  analyzing powers in the  $\vec{d}d \rightarrow {}^3He p$  reactions at the energy of deuterons 200 MeV in the angular range of 0 - 95 degrees in the center-of-mass system have been obtained. The data demonstrate large values of the analyzing powers.
- The experimental data were compared with theoretical predictions of ONE calculations based on Urbana, Paris and RSC  ${}^3He$  wave functions. The predictions of ONE model calculations qualitatively reproduce the angular distributions of the tensor analyzing powers at small angles only. However, the ONE calculations cannot reproduce the data in the whole angular range of the measurements.
- The obtained experimental data require further development in theoretical approaches either for adequate description of the structure of light nuclei at short distances or taking into account mechanisms in addition to ONE.

**Thank you for the attention!**

## Method of obtaining the analyzing powers.

The differential cross section for the spin mode  $M$  is expressed as:

$$\left(\frac{\partial\sigma}{\partial\Omega}\right)^M = \left(\frac{Y^M}{\rho(Q^M/e)\Delta\Omega\varepsilon^M}\right)$$

were  $Y^M$  : yield of the true events;  $\rho$ : thickness of the targets;  $Q^M$  : integrated beam charge;  $e$  : deuteron charge;  $\Delta\Omega$  : solid angle;  $\varepsilon^M$  : (MWDC detection efficiency)  $\times$  (live-time ratio of the data acquisition).

To obtain the analyzing powers for the  $\vec{d}d \rightarrow {}^3\text{H}p$  and  $\vec{d}d \rightarrow {}^3\text{H}en$  reactions, the normalized cross sections for the spin mode  $M$  ( $M=1,2,3$ ) are defined as:

$$N_{exp}^M = \left(\frac{\partial\sigma}{\partial\Omega}\right)^M / \left(\frac{\partial\sigma}{\partial\Omega}\right)^{M=0}$$

**Excitation Energy** is expressed as:

$$E_x = \sqrt{(E_0 - E_{3N})^2 - (P_0 - P_{3N})^2} - M_N$$

where  $P_0$  is the incident momentum;  $E_0 = 2M_d + T_d$  is the total initial energy;  $E_{3N}$  and  $P_{3N}$  are the energy and the momentum of the three-nucleon system, respectively;  $M_N$  is the nucleon mass.